## Classifying Triangles

Any triangle can be classified by side length, or by its angle measures

| Classifying <br> by Side <br> Length | Scalene Triangle <br> All 3 side lengths and angles are <br> different. | Isosceles Triangle <br> 2 side lengths (and 2 angles) <br> are the same | Equilateral Triangle <br> All side lengths are the same. <br> All angles are $60^{\circ}$ |
| :--- | :--- | :--- | :--- |
|  |  |  |  |

## Polygons

A polygon is a closed figure formed by 3 or more line segments

| Polygon Name | \# of sides | Polygon Name | \# of sides |  | Polygon Name |
| :--- | :--- | :--- | :--- | :--- | :--- |
| \# of sides |  |  |  |  |  |
| Triangle | 3 | Hexagon | 6 | Nonagon | 9 |
| Quadrilateral | 4 | Heptagon | 7 | Decagon | 10 |
| Pentagon | 5 | Octagon | 8 |  |  |

A regular polygon - is a polygon where all side lengths are equal (so all angles are equal too).
e.g.

$\leftarrow$ Regular Octagon
$\leftarrow \leftarrow$ Irregular Octagon

## Quadrilaterals

Some important quadrilaterals:
Square
Rectangle
Parallelogram
Rhombus
Trapezoid
Kite


## Complementary and Supplementary

Supplementary angles add up to $180^{\circ}$

## Interior Angles

If you add up the interior angles in a polygon, the answer will be constant, depending on the type of polygon:

| Type of <br> Polygon | Sum of Interior <br> Angles | Here's the formula to calculate the total: <br> Let $n$ be the number of sides the polygon has |
| :--- | :--- | :--- |
| Triangle | $180^{\circ}$ |  |
| Quadrilateral | $360^{\circ}$ | Sum of interior angles $=\mathbf{1 8 0}(\mathbf{n}-\mathbf{2})$ |
| Pentagon | $540^{\circ}$ |  |
| Hexagon | $720^{\circ}$ |  |

## Exterior Angles

For any polygon, the sum of the exterior angles is always $360^{\circ}$

## Angle Patterns

When two or more parallel lines intersect with a transversal, angle patterns are created


| Property Name | Memory Aid | Description | Diagram |  |
| :---: | :---: | :---: | :---: | :---: |
| Opposite angles |  | When two lines intersect, the opposite angles are equal |  | $\begin{aligned} & A=D \\ & B=C \\ & E=H \\ & F=G \end{aligned}$ |
| Alternate Angles | Pattern | Alternate angles are equal |  | $\begin{aligned} & C=F \\ & D=E \end{aligned}$ |
| Corresponding Angles | $\Gamma_{\text {Pattern }}$ | Corresponding angles are equal |  | $\begin{aligned} & \mathrm{D}=\mathrm{H} \\ & \mathrm{C}=\mathrm{G} \\ & \mathrm{E}=\mathrm{A} \\ & \mathrm{~F}=\mathrm{B} \end{aligned}$ |
| Co-interior Angles | Pattern | Co-interior angles have a sum of $180^{\circ}$ (they are supplementary) |  | $\begin{aligned} & D+F=180^{\circ} \\ & C+E=180^{\circ} \end{aligned}$ |

